



### Role of Communication Network in Real-Time Control of Power Grid: Benefits & Risks

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Joint work with Eytan Modiano, Kostya Turitsyn & David Hay

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# Overview

- □ Part I: Introduction- Why the current control is not enough for emergency control? How to improve it?
- □ Part II: Interdependency between Power Grid and Communication Networks
- □ Part III: Modeling Impact of Communication Loss on Power Grid
- □ Part IV: Using Real-Time Control for Normal Operation

### **Part I: Introduction**

Why Current Controls in the Power Grid are not enough for Emergency Situations? How to Improve it?

# **Current Control of Grid**

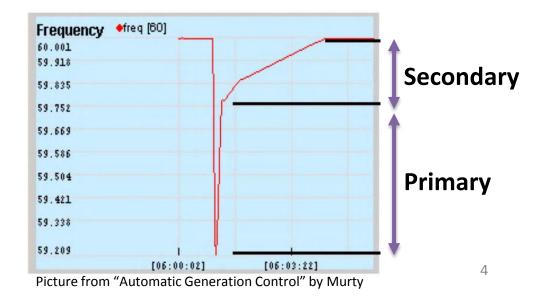
Power must be always balanced inside the grid All elements inside the grid operate in one frequency: 60Hz in US

### Failure causes imbalance in the system

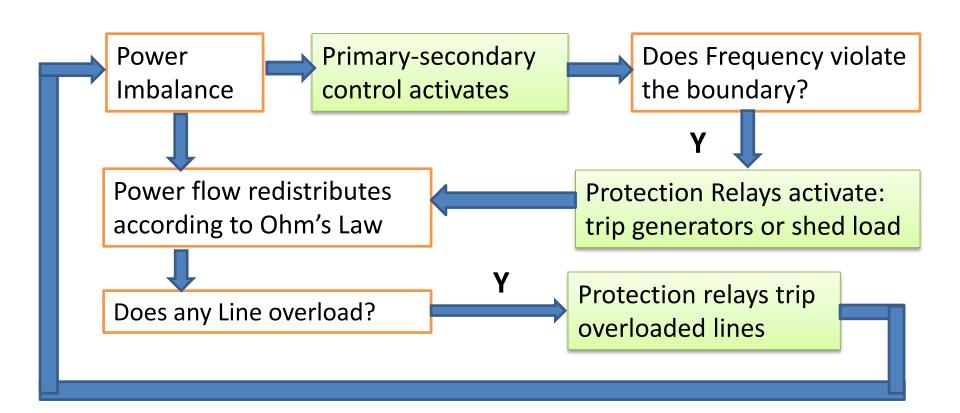
if extra generation in the system: frequency increases if extra load in the system: frequency drops

### To re-balance the power: Primary Frequency Control

Primary Frequency Control



# **Cascading Failures**



If a large disturbance occurs, failures cascade in the power grid

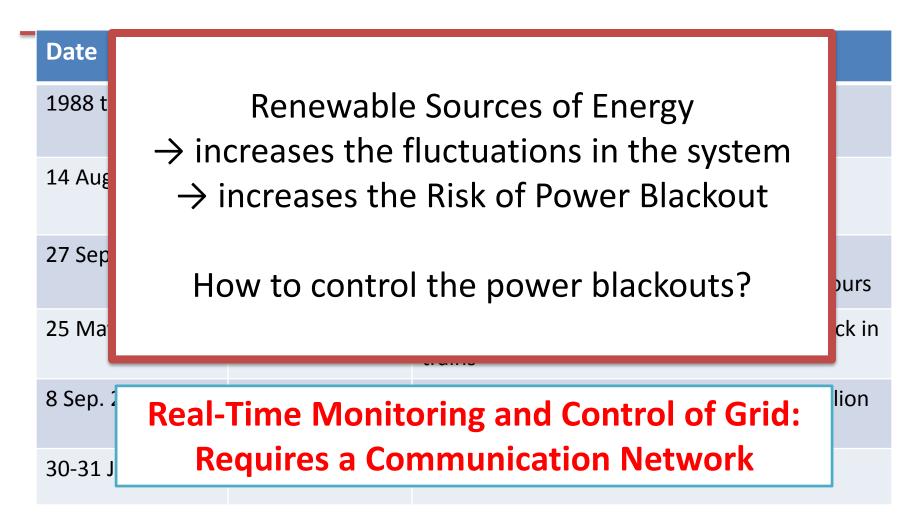
### Large Blackouts due to Cascading Failures

Date	Location	Notable consequences
1988 to 2003	Western India	29 large cascading failures over 15 years, millions of customers: 1.9 per year
14 Aug. 2003	Northeast America	50 million customers Economic damage: \$6 to \$10 billion
27 Sep. 2003	Italy	50 million customers, at least 5 deaths, 30,000 passengers stranded in trains for hours
25 May 2005	Moscow	2 million customers. Tens of thousands stuck in trains
8 Sep. 2011	Southwest America	1.4 million customers in San Diego, 1.1 million customers in Mexico
30-31 July 2012	India	600 million customers

Souce: <u>http://tppserver.mit.edu/2005\_tmp\_consortium/conversion/hines.pdf</u>

"Large blackouts in North America: Historical trends and policy implications" by Paul Hines, Jay Apt and Sarosh Talukdar

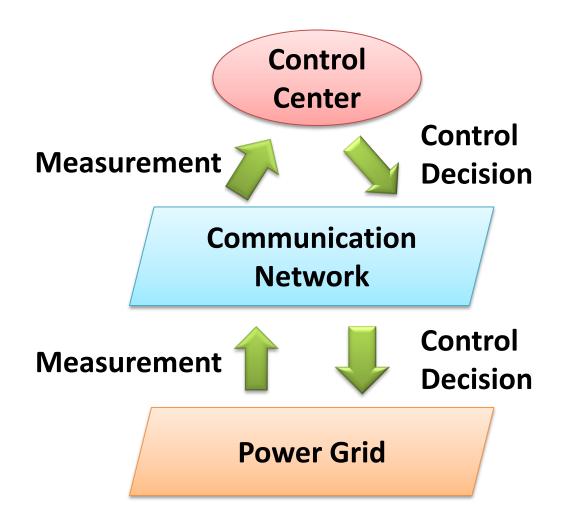
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### Adding Control/Communication Layer



# Available Information & Control Through Communication Network

#### Information collected by Communication Network

V <sub>k</sub> (t)	Magnitude of voltage at node k
θ <sub>k</sub> (t)	Phase of voltage at node k
ω <sub>k</sub> (t)	Frequency of Power at node k if it is a generator
f <sub>kj</sub> (t)	Flow in power line (k,j)

Observe the state of the entire system instead of local frequency

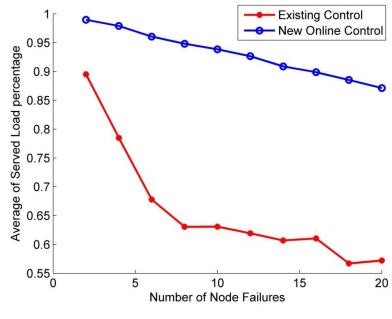
#### **Control Actions**

<b>Centralized</b> Control Requires Communication	<b>Decentralized</b> control-protection Performs locally- No Need to Communication	
Ramping down generators	5% droop control at generators	
Intelligent load shedding	Over-frequency generator tripping - protection	
Intelligent line tripping	Under-frequency load shedding - protection	
	Overloaded line tripping – protection	

### Real-Time Control with Full Communication

min $\sum_{i\in V_L} PL_i$		
$\sum_{j\in E} f_{ij} - \sum_{j\in E} f_{ji} = PG_i - \alpha_i(\omega_i - \omega_s)$	$\forall i \in V_{G}$	Com cont
$\sum_{{}_{j\in E}} f_{{}_{ij}} - \sum_{{}_{j\in E}} f_{{}_{ji}} = PL_{{}_i}$	$\forall i \in V_{L}$	1 <sub>「</sub>
$\sum_{{}_{j\in E}}f_{_{ij}}-\sum_{{}_{j\in E}}f_{_{ji}}=0$	$\forall i \in V_{\scriptscriptstyle B}$	- 20.90 - 0.9 - 28.0 bercentage - 8.0 Concentage - 7.0 Joint Concent
$-M(1-z_{ij}) \leq X_{ij}f_{ij} - \varDelta\theta_{ij} \leq M(1-z_{ij})$	$\forall (i,j) \in E$	- 28.0 <u>ber</u>
$-z_{_{ij}}f_{_{ij}}^{_{\max}} \leq f_{_{ij}} \leq z_{_{ij}}f_{_{ij}}^{_{\max}}$	$\forall (i,j) \in E$	° 0.8 مع 2. 0.75
$-M(1-z_{ij}) \leq \omega_{i} - \omega_{j} \leq M(1-z_{ij})$	$\forall (i,j) \in E$	eo 9 9
$\omega_{_{i}}^{_{\min}} \leq \omega_{_{i}} \leq \omega_{_{i}}^{_{\max}}$	$\forall i \in V_{G}$	Average
$PG_{i}^{\min} \leq PG_{i} - lpha_{i}(\omega_{i} - \omega_{s}) \leq PG_{i}^{\max}$	$\forall i \in V_{G}$	0.6 0.55
$PL_i^{\min} \leq PL_i \leq PL_i^{\max}$	$\forall i \in V_{L}$	0
$z_{ij} \in \{0,1\}$	$\forall (i,j) \in E$	

Compare the performance of Real-Time control with the conventional control



# **Risks of Communication Network**

- Cyber Security
  - Bad Data
  - Denial of Service
    - Loss of Data
    - Congestion in communication network: Delay
- Physical Failure
  - Lines or routers
    - Loss of Data
    - Congestion in communication network: Delay

# **Risks of Communication Network**

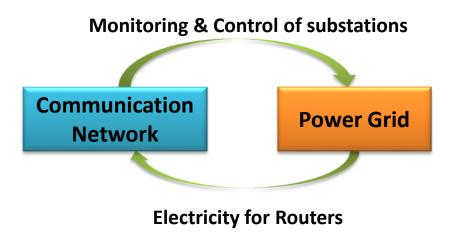
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  - Bad Data
  - Denial of Service

• Loss of Data

- Congestion in communication network: Delay
- Physical Failure
  - Lines or routers
    - Loss of Data
    - Congestion in communication network: Delay

# Impact of Data Loss

- <u>No Significant Disturbance</u> in the grid:
  - System continues to operate with the conventional control
- What if there is <u>simultaneous failure in the grid</u>?
  - Could lead to extra disturbance in the grid
- Chances of simultaneous failures in Power & Communication:
  - local geographical failure
  - Attack
  - Interdependency



### Part II: Interdependency between Power Grid and Communication Networks

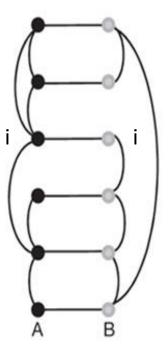
### Abstract Interdependency Model

by Buldyrev et. al., 2010

- Two Random Networks A and B with N nodes
- One-to-One interdependency

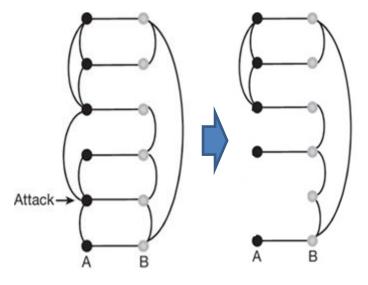
Node i in network A operates if (1) it is connected to the giant component in network A

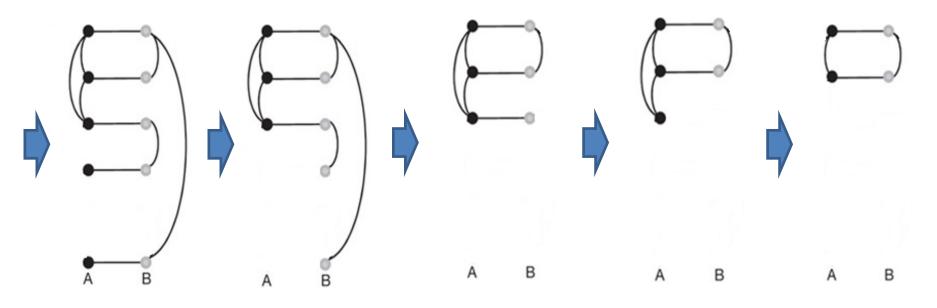
(2) it is connected to node i in network B



### Cascading Failures in Interdependent Networks

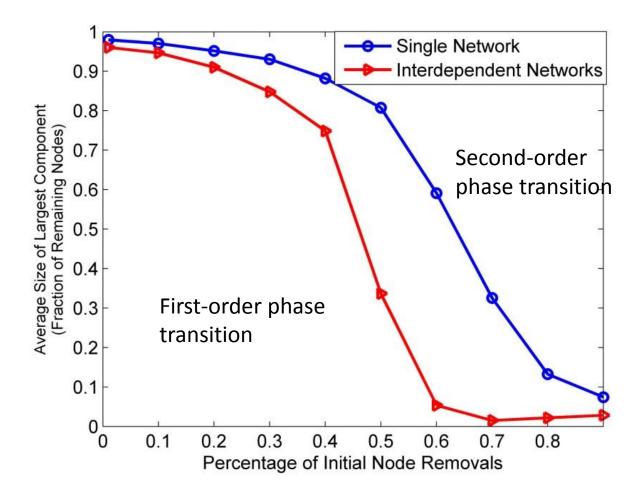
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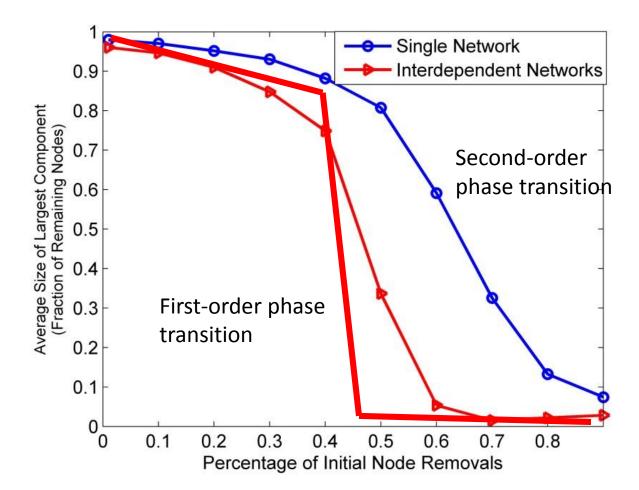
### Interdependent vs. single Networks

Erdos-Renyi Graph with 500 nodes and expected degree of 4

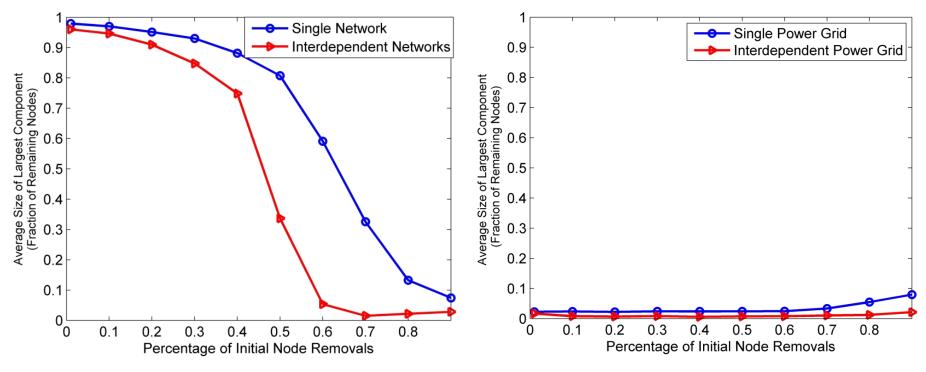


### Interdependent vs. single Networks

Erdos-Renyi Graph with 500 nodes and expected degree of 4



### Compare Interdependency in Abstract Model and Power Grid



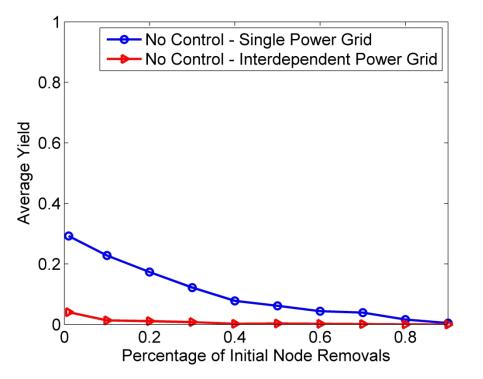
Erdos-Renyi Graph with 500 nodes and expected degree of 4

Random Power Grid - Erdos-Renyi with 500 Nodes and average degree of 4; 1/5<sup>th</sup> of the nodes are generators and 1/5<sup>th</sup> are loads with random value in range [1000,2000]; unit reactance

Power Grids are More Vulnerable to Failures due to Cascading Failures

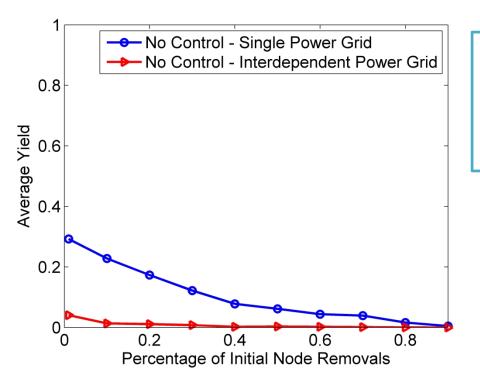
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Metric in Power Grid: Fraction of Served Load; i.e. Yield



### Interdependent Power Grid

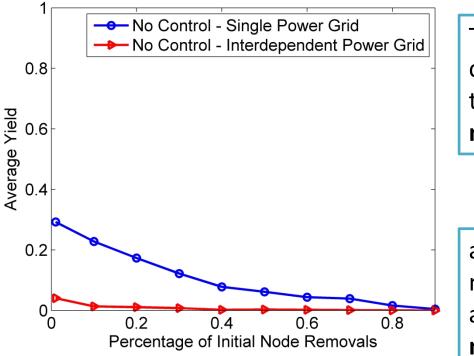
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### Interdependent Power Grid

Metric in Power Grid: Fraction of Served Load; i.e. Yield



The purpose of designing a communication network intertwined with the power grid is to **provide real-time monitoring and control for the grid**.

a proper analysis of interdependent networks should account for the availability of **control schemes that can mitigate cascading failures**.

# Load Control Policy

**Objective:** A control policy that sheds load "intelligently" to avoid the failure of critical communication nodes

### **Load Control Policy**

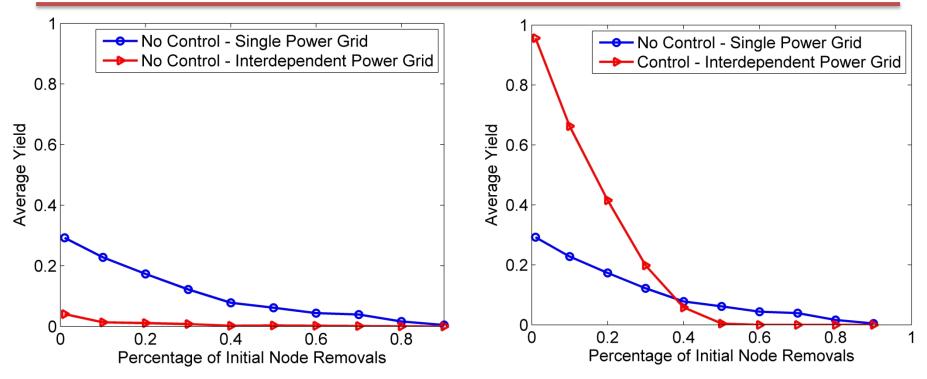
- Phase 1) Find the Set of all unavoidable failures (i.e., disconnected nodes)
- Phase 2) Re-dispatch the generators and loads so that
  - All remaining communication nodes can operate (receive enough power)
  - Minimum amount of load is shed; i.e. Maximize Yield

# Load Control Mitigation Policy

- Phase 1) Find the Set of all unavoidable failures
- Phase 2) Re-dispatch the generators and loads

$$\begin{array}{c|cccc} \mbox{minimize} & e^T(|P^{new} - P^{old}|) & \mbox{Minimum Load Shedding} \\ \mbox{subject to} & A^{updated}f = P^{new} \\ & (A^{updated})^T\theta = Xf \\ & f \leq f^{max}, \quad \forall (i,j) \in E_P^{updated} \\ & 0 \leq P_i^{new} \leq P_i^{old} \quad \forall i \in V_{P,gen}^{updated} \\ & P_{i}^{old} \leq P_i^{new} \leq 0 \quad \forall i \in V_{P,load}^{updated} \\ & P_{C_j} \leq -P_C^{req} \quad \forall j \in V_C^{updated} \\ & P_{C_j} \leq -P_C^{req} \quad \forall j \in V_C^{updated} \\ & \sum_{h \geq 0} E_{CP}^{updated}h = b \\ & h \geq 0 \end{array} \right)$$

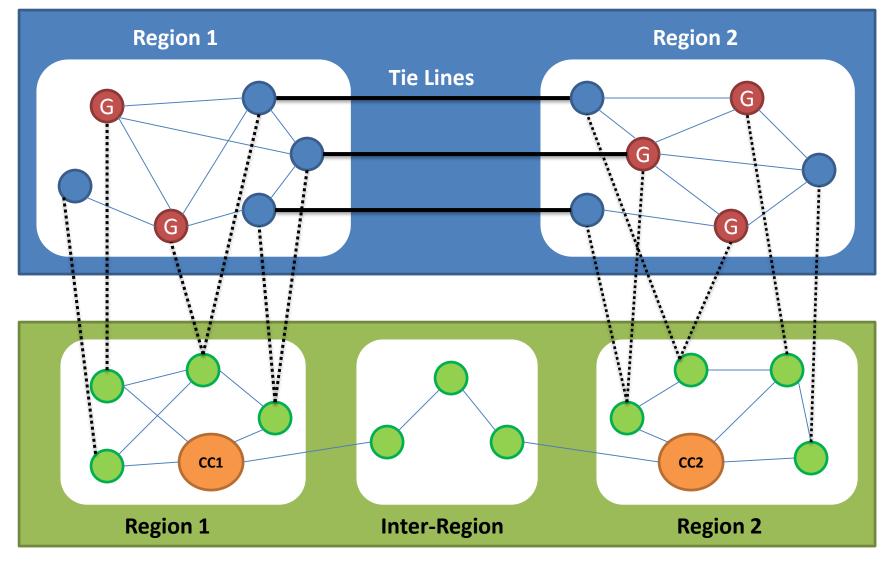
### Interdependent Power Grid without & with Control

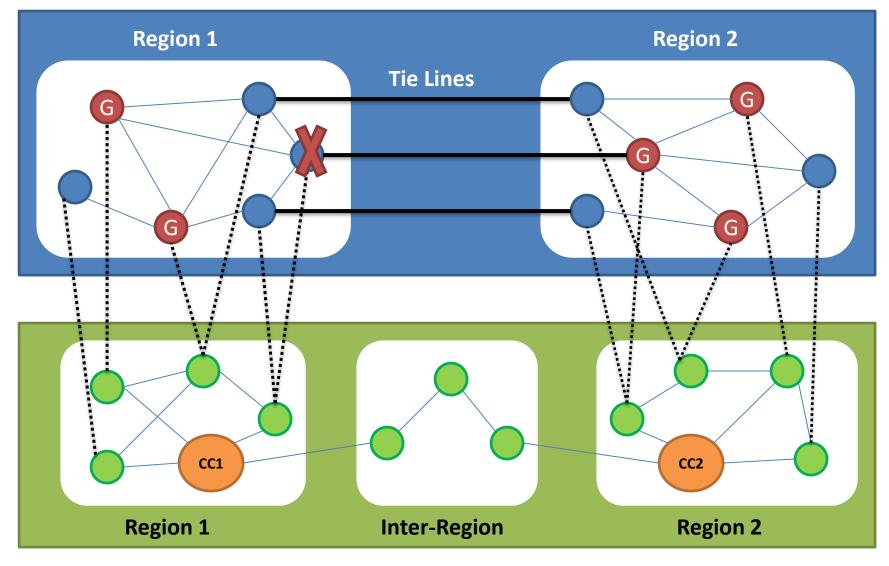


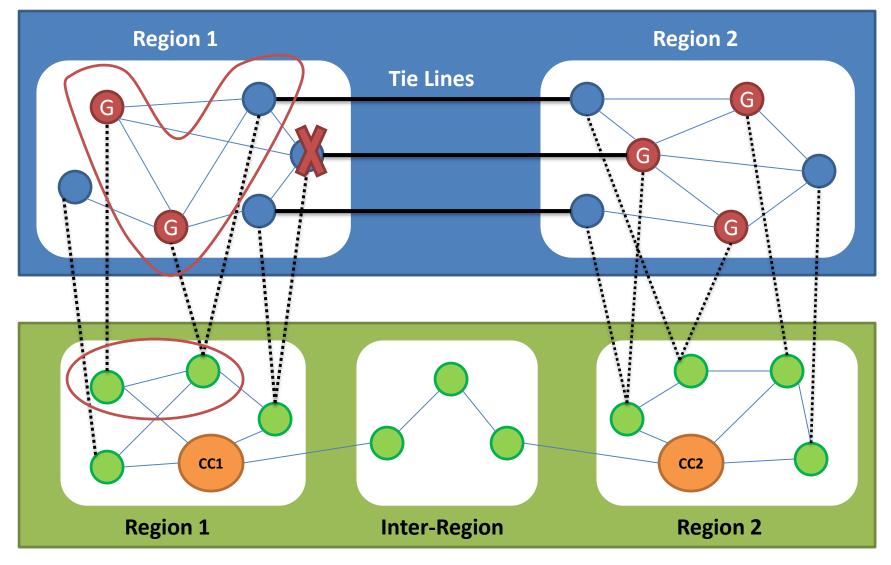
By applying mitigation control policy, Interdependency makes the Power Grid more Robust

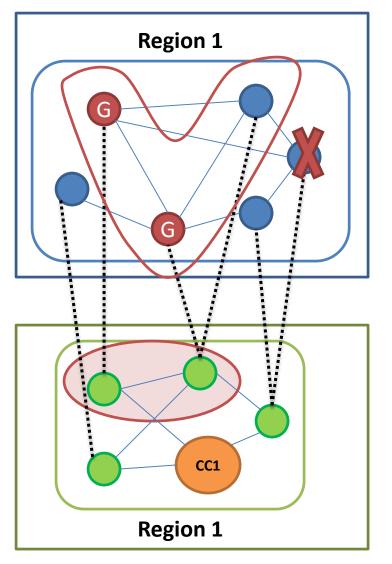
Too simplistic Assumption: If a power node loses control, it will definitely fail

Part III: Modeling the Impact of Communication Loss on Power Grid during a Large Disturbance







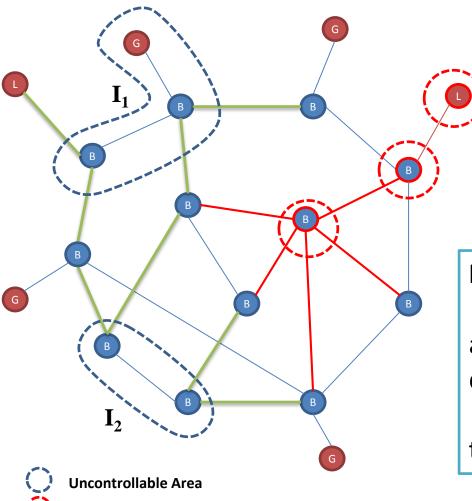


### **Inside Region**

Two Scenarios:

- 1) Set of Uncontrollable nodes (G1) and set of Power Failures (G2) are disjoint
  - Complete Information about the last state of Grid
  - Partial Control
- 2) Set of Uncontrollable nodes (G1) and set of Power Failures (G2) overlap
  - Incomplete Information about the state of Grid
  - Partial Control

### Comm Loss Inside Region – Scenario 1



Power Failure

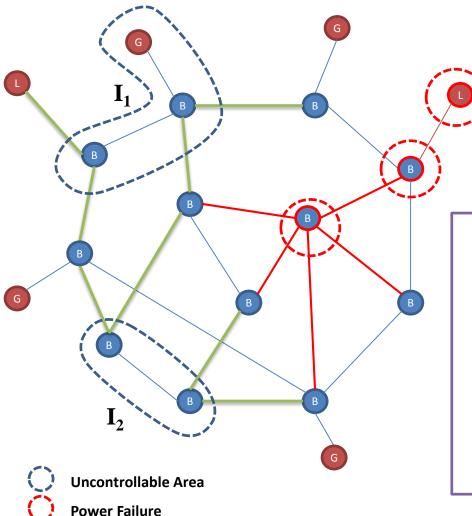
**Assumption:** All the Generators and Loads in the Uncontrollable Area switch to a <u>predefined</u> <u>strategy</u>

#### **Pre-defined Strategy:**

1) P<sub>init</sub>: Keep the generators and loads at their last state right before disconnection

**2) P**<sub>zero</sub>: Trip the generators and shed the loads

### Comm Loss Inside Region – Scenario 1



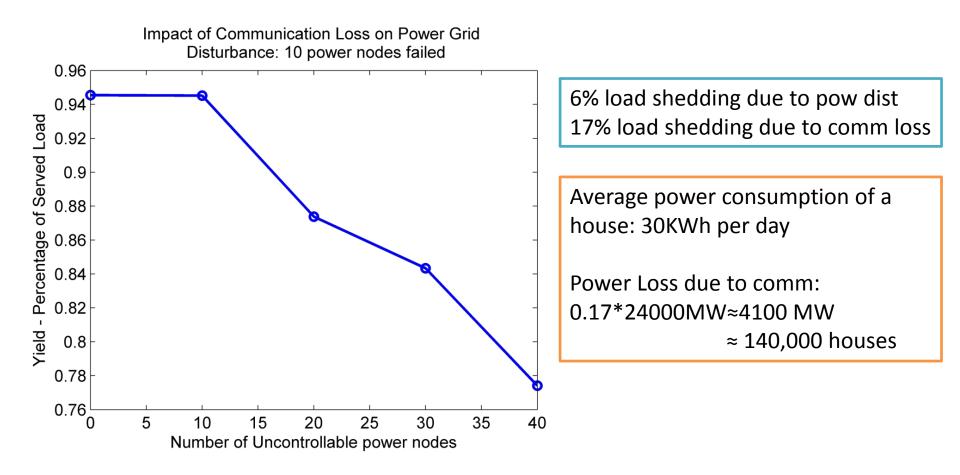
#### Controllable Areas: Full control

#### Uncontrollable areas: Allow Trip border lines Decentralized Controls

#### **Objective: Stabilize Grid**

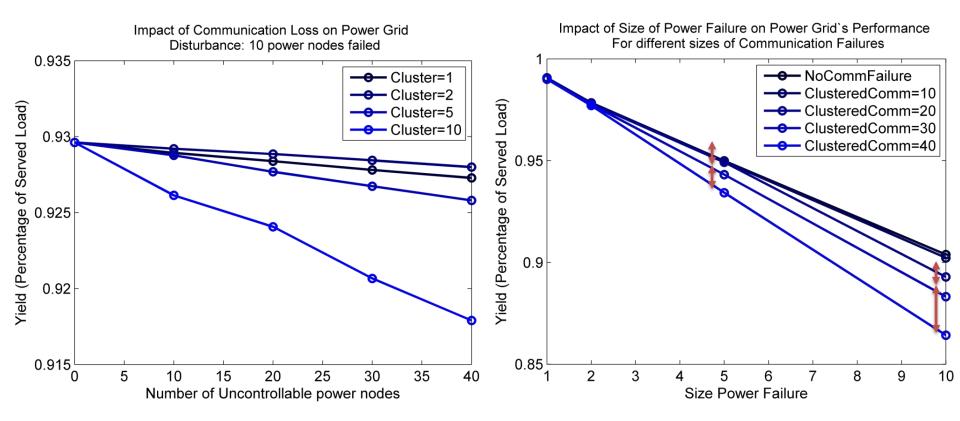
- a) Minimize Load Shedding while keeping the uncontrollable area
- b) If keeping an uncontrollable area connected to the rest of grid is not optimal: Trip all border lines

### **Communication loss results in smaller yield**



### Impact is a function of many parameters:

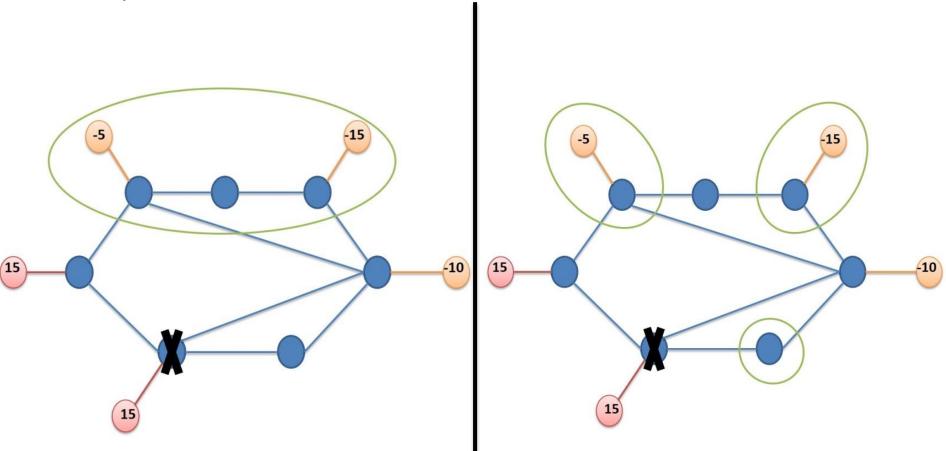
- 1) number of uncontrollable nodes (size of communication loss)
- 2) size of uncontrollable clusters (connectivity of uncontrollable area)
- 3) Size of Power Failure



#### Nodes outside the uncontrollable area could be affected

### Pinit Strategy is not always optimal

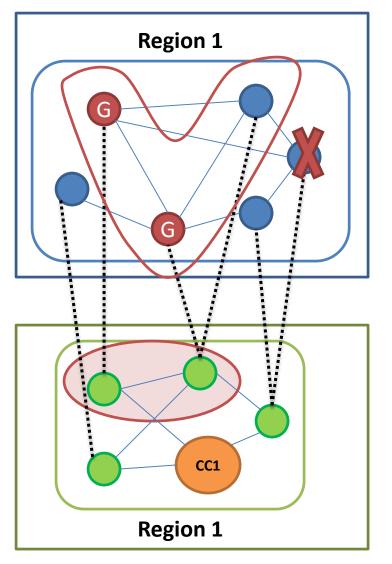
Example:



## **Open Questions – Future Work**

1) What is the Optimal Pre-defined Strategy?

2) For a given communication network and power grid, what is the optimal allocation of communication nodes to power nodes to minimize the negative impact of communication loss?



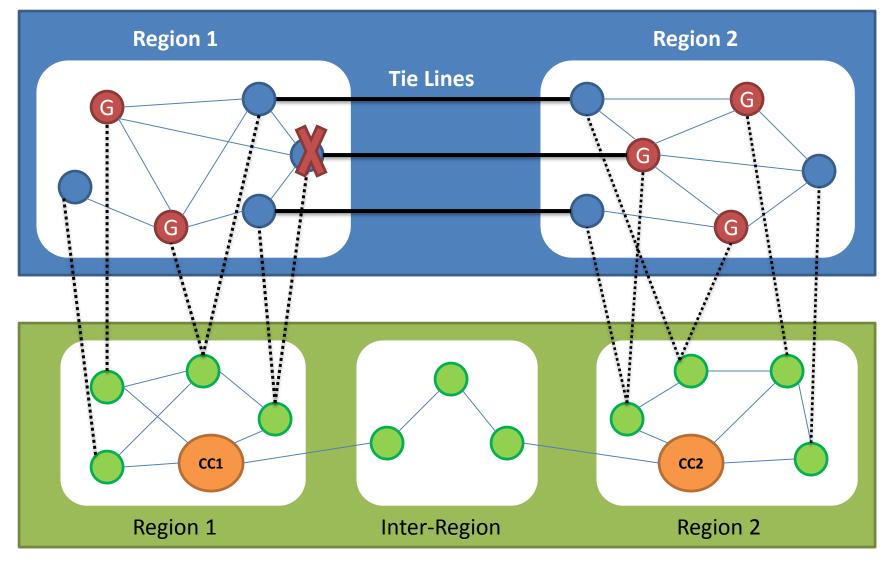
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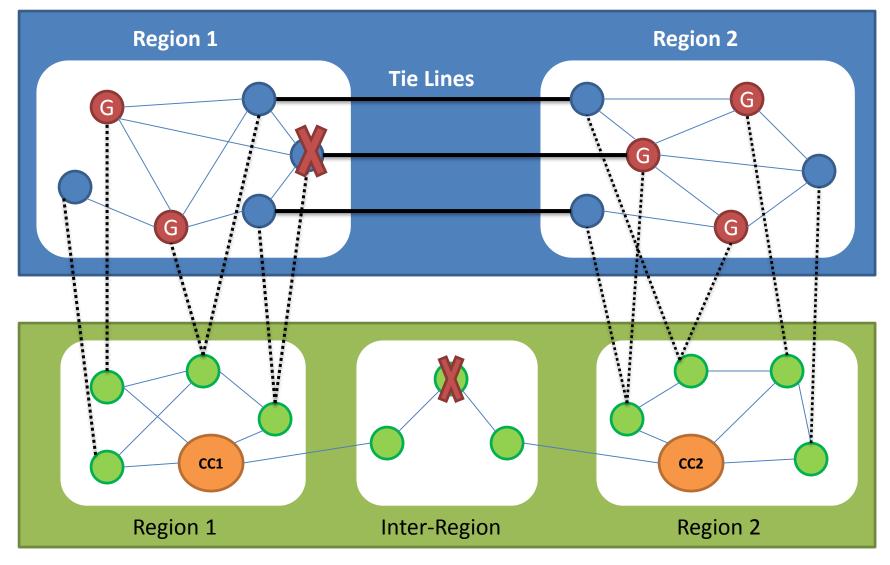
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# **Open Questions**

- **Definition** An area is called K-Observable area if failure of K elements inside the area can be identified using the information from nodes outside of the area.
- What are the topological properties of a K-observable area?





### Part IV: Using Real-Time Control for Normal Operation of Power Grid

Reducing the cost of Generators reserves as well as transmission lines margins

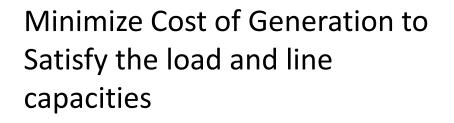
# Generator Dispatch for Normal Operation





Which generators are ON







Decide on Generators reserved power to ramp up rapidly in the case of a single failure

# Joint Economy Dispatch & N-1 Security Analysis

Dispatch generators such that in the case of a single failure the grid remains stable:

Primary Frequency Control



Frequency does not violates the limits
 No Transmission Line is overloaded

Secondary Frequency Control



 AGC changes generator set-points: generators have enough reserve to respond
 No Transmission Line is overloaded

### AGC versus Real-time adjustment

- AGC:
  - Changes the set points proportional to the second derivative of cost of generation C<sub>1</sub>(i);

i.e. 
$$\Delta P(i) = \frac{C1(i)}{\sum_i c1(i)} \Delta P(\text{tot}) \quad \text{Cost(i,P)} = C_1(i)P^2 + C_2(i)P + C_3(i)$$

### • Real-time Control:

 Depending on the failure scenario changes the set points of generators

## Benefits & Risks

 Reduces the cost of generation reserve and deployment as well as the security margins for transmission lines

- Loss of communication leads to the loss of control over some generators
  - AGC exists: constant coefficient for set point change
  - AGC doesn't exists: generators set point is fixed

# Summary

- Designed a real-time control that minimizes the load shedding while balancing the power and keeping power within the line capacities
- 2) Interdependency between Power Grid and Communication Networks increases the risk of using real-time control
- Proposed a framework for modeling the impact of Communication Loss on Power Grid: Analysis and Design of dependency
- 4) Decrease the reserve costs using Real-Time Control for Normal Operation